## Homework 4 (Graded)

Published $\square$

Due Wednesday $7 / 10$
S4.1: Suppose I flip a coin with heads probability $p$ repeatedly, stopping when I reach $k$ tails. What is the expected number of flips I will make? (Hint: use a familiar discrete distribution, whose expectation is given in ASV, and linearity of expectation.)

S4.2: Let $f_{X}(x)=c \frac{1}{\left(1+\left(\frac{x}{\sigma}\right)^{2}\right)}$. Calculate $c$ and $\mathrm{E}[\mathrm{X}]$. You may evaluate integrals with a computer, but show where you have done so.

S4.3: Suppose the random variable $X$ is always positive (its density on the negative numbers is zero).
Prove that $E[X]=\int_{0}^{\infty}\left(1-F_{X}(x)\right) d x$.

| Points | 6 |
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| Submitting | on paper |


| Due | For | Available from | Until |
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| - | Everyone | - | - |

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